# **QUADRATIC EQUATIONS**

Root Form



#### Root form

Has the general equation y = a(x - d)(x - e)

### Finding our Key Properties of Interest!

### *Roots/x-intercepts/solutions*

This is where the graph 'cuts' the x-axis. I.e., when y = 0.

Already factorised for us!

the two roots!

*Line of symmetry* 

I.e., half way between d and e.

## (d, 0) and (e, 0)

### Y-intercept

This is where the graph 'cuts' the y-axis. I.e., when x = 0

In this case, at y = a(0 - d)(0 - e)  $y = a \times -d \times -e$  $y = a \times d \times e$ 

### **Turning Point**

This is where the shape of the graph 'turns'. It always lies on the line of symmetry!

This is the vertical line which cuts the graph

exactly in half! It will lie half way between

So once we find the LOS, we can plug it straight into our equation to find the y-coordinate

**Example**: 
$$y = (x - 1)(x - 3)$$

*Roots/x-intercepts/solutions* 

Factorised already!

(x-1)(x-3) = 0 x = 1 or x = 3(1,0) and (3,0)

**Y-intercept**  $c = 1 \times 1 \times 3$  so at (0,3) Line of symmetry Halfway between the roots. Halfway between 1 and 3 is 2! x = 2

**Turning Point** y = (2 - 1)(2 - 3)y = (1)(-1)y = -1

So at (2, -1)

